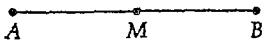
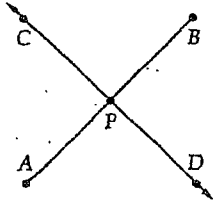
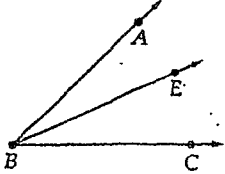
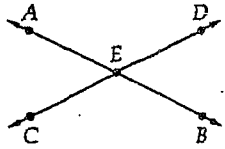


## 2 Helpful Hints for Proofs

### Helpful Hints for Direct Proofs

One of the more difficult concepts in formulating a proof is determining how to use the given information.

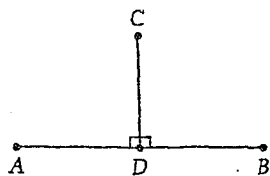
The table below is designed to help you over this hurdle.

| If you are given:   | You can conclude: |
|---|-------------------|
| <p><math>M</math> is the midpoint of <math>\overline{AB}</math>.</p>   |                   |
| <p><math>\overleftrightarrow{CD}</math> bisects <math>\overline{AB}</math> at <math>P</math>.</p>                    |                   |
| <p><math>\overrightarrow{BE}</math> bisects <math>\angle ABC</math>.</p>   |                   |
| <p><math>\overleftrightarrow{AB}</math> and <math>\overleftrightarrow{CD}</math> intersect at <math>E</math>.</p>  |                   |

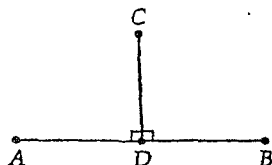
If you are given:

You can conclude:

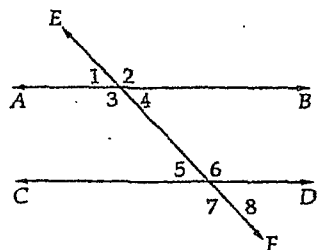
$\overline{CD} \perp \overline{AB}$  at  $D$ .



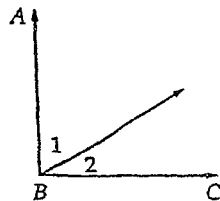
$\overline{CD}$  is the perpendicular bisector of  $\overline{AB}$ .



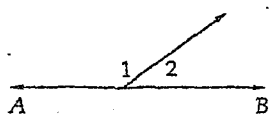
$\overleftrightarrow{AB}$  is parallel to  $\overleftrightarrow{CD}$  and is cut by transversal  $\overleftrightarrow{EF}$ .

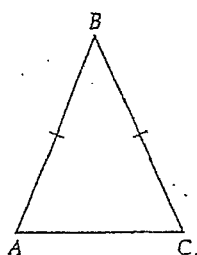
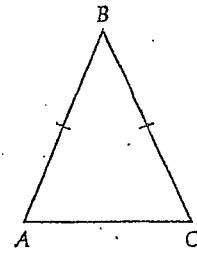
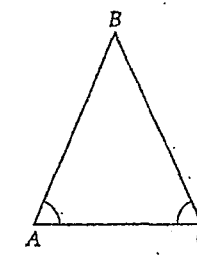
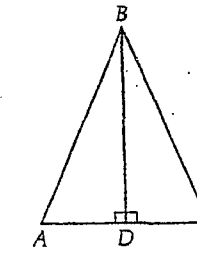
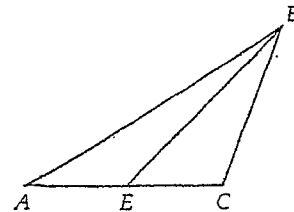


$\angle ABC$  is a right angle.



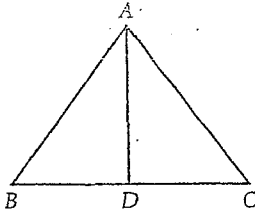
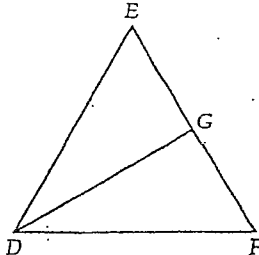
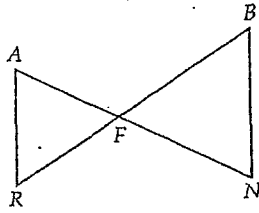
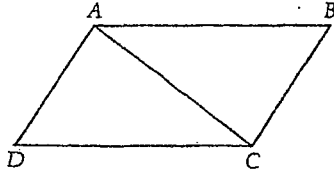
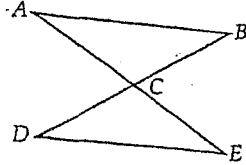
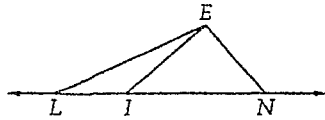
$\overleftrightarrow{AB}$  is a straight line.

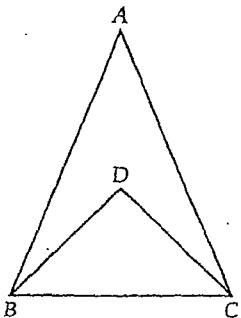
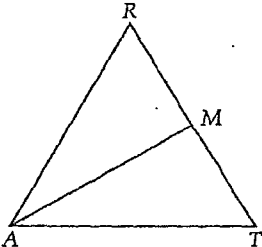
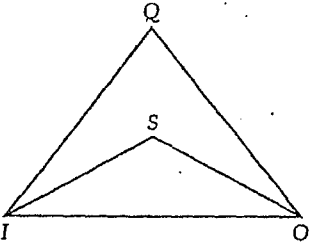


| If you are given:   | You can conclude: |
|---|-------------------|
| <p>Triangle <math>ABC</math>, with <math>\overline{BA} \cong \overline{BC}</math>.</p>               |                   |
| <p>Triangle <math>ABC</math> is isosceles, with <math>\overline{BA} \cong \overline{BC}</math>.</p>  |                   |
| <p>Triangle <math>ABC</math>, with <math>\angle A \cong \angle C</math>.</p>                        |                   |
| <p>Triangle <math>ABC</math>, <math>\overline{BD}</math> the altitude.</p>                         |                   |
| <p>Triangle <math>ABC</math>, with <math>\overline{BE}</math> the median to <math>AC</math>.</p>   |                   |



In 2–10, write an appropriate statement and reason, given the following information.

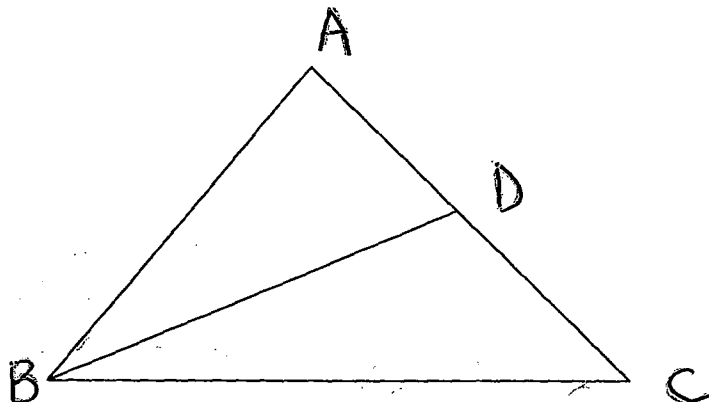
| Given  | Statement | Reason |
|--|-----------|--------|
| <p>2. Triangle <math>ABC</math>, with <math>\overline{AD} \perp \overline{BC}</math>.</p>   |           |        |
| <p>3. Triangle <math>DEF</math> with <math>\overline{DG}</math> the bisector of <math>\angle EDF</math>.</p>                              |           |        |
| <p>4. <math>\overline{AN}</math> and <math>\overline{RB}</math> intersect at <math>F</math>.</p>   |           |        |
| <p>5. Quadrilateral <math>ABCD</math>, <math>\overline{AD} \parallel \overline{BC}</math>.</p>    |           |        |
| <p>6. Triangles <math>ABC</math> and <math>DEC</math>, with <math>\overline{AE}</math> the bisector of <math>\overline{DB}</math>.</p>  |           |        |
| <p>7. <math>\overleftrightarrow{LIN}</math> is a straight line.</p>   |           |        |

| Given  | Statement | Reason |
|--|-----------|--------|
| <p>8. Triangles <math>ABC</math> and <math>DBC</math>, <math>\overline{DB} \cong \overline{DC}</math>.</p>    |           |        |
| <p>9. Triangle <math>ART</math>, <math>\overline{AM}</math> is the median to <math>\overline{RT}</math>.</p>  |           |        |
| <p>10. Given isosceles triangle <math>ISO</math>, with <math>\overline{IS} \cong \overline{OS}</math>.</p>  |           |        |

Name \_\_\_\_\_

Geometry

Directions: Write a statement and reason for each given statement. The picture is not drawn to scale!



1. Given:  $\overline{BD}$  bisects  $\angle ABC$

Statement:

Reason:

2. Given:  $\overline{BD}$  bisects  $\overline{AC}$

Statement:

Reason:

3. Given:  $\overline{BD} \perp \overline{AC}$

Statement:

Reason:

4. D is the midpoint of  $\overline{AC}$

Statement:

Reason:

5.  $\overline{BD}$  is the median to side  $\overline{AC}$

Statement:

Reason:

6.  $\overline{BD}$  is an altitude

Statement:

Reason:



Name: \_\_\_\_\_ Geometry P. 1 \_\_\_\_\_

Date: \_\_\_\_\_ Practice w/Proofs \_\_\_\_\_

Questions 1 through 11 refer to the following:

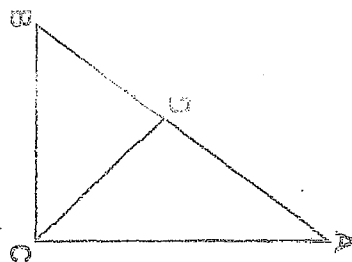
Supply the missing reason(s) for the given proof.

| STATEMENTS                                 | REASONS   |
|--|-----------|
| (1) C is the midpoint of $\overline{AB}$ . | (1) Given |
| (2) $\overline{AC} \cong \overline{CB}$    | (2)       |

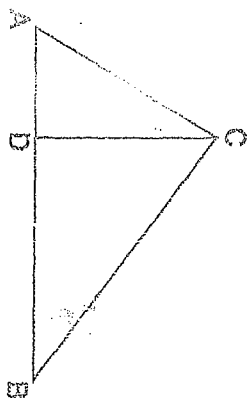
| STATEMENTS  | REASONS   |
|---|-----------|
| (1) $\angle 2$ is a right angle.                            | (1) Given |
| (2) $\overleftrightarrow{AC} \perp \overleftrightarrow{BD}$ | (2)       |

| STATEMENTS                                     | REASONS   |
|--|-----------|
| (1) $\overrightarrow{BD}$ bisects $\angle ABC$ | (1) Given |
| (2) $\angle 1 \cong \angle 2$                  | (2)       |

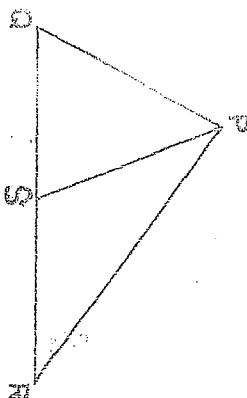
| STATEMENTS   | REASONS   |
|--|-----------|
| (1) $m\angle ABC = m\angle ACB$<br>$m\angle 3 = m\angle 4$ | (1) Given |
| (2) $m\angle 1 = m\angle 2$                                | (2)       |



| STATEMENTS                 | REASONS   |
|----------------------------|-----------|
| (1) $AD = DC$<br>$DC = DB$ | (1) Given |
| (2) $AD = DB$              | (2)       |



| STATEMENTS   | REASONS   |
|--|-----------|
| (1) $\overline{CD}$ is the altitude to $\overline{AB}$ . | (1) Given |
| (2) $\overline{CD} \perp \overline{AB}$                  | (2)       |



| STATEMENTS   | REASONS   |
|--|-----------|
| (1) $\overline{PS}$ is the median to $\overline{QR}$ . | (1) Given |
| (2) S is the midpoint of $\overline{QR}$               | (2)       |

8)

| STATEMENTS | REASONS                                 |
|------------|---|
| 1/2        |   |
| 3/4        | (1) $m\angle 1 + m\angle 6 = 180^\circ$ |
| 5/6        | (1) Given                               |
| 7/8        | (2) $m\angle 6 = m\angle 7$             |
|            | (2)                                     |
|            | (3) $m\angle 1 + m\angle 7 = 180^\circ$ |
|            | (3)                                     |