Name _.	Key	Date	Class Period
Poin	t of Co	ncurrency Workshee	t
Give t	he name th	e point of concurrency for each	ch of the following.
1. An	gle Bisector	s of a Triangle in Cen	HEE
2. Me	dians of a T	riangle COTO	9
3. Alt	itudes of a	Triangle OCHOCE	nter 1
4. Per	pendicular	Bisectors of a Triangle CCC	meenter
-		f the following statements.	he Sides of the
	e <i>incenter</i> c ngle.	f a triangle is equidistant from t	he Sides of the
	e circumce e triangle.	iter of a triangle is equidistant f	rom the Vertices of
	e centroid is the opposite		rom each vertex to the midpoint
8. To	inscribe a c	circle about a triangle, you use the	ne incenter 20
9. To	circumscri	be a circle about a triangle, you	use the Circumcenter
10. C	omplete th	e following chart. Write if the	point of concurrency is <i>inside</i> ,

10. Complete the following chart. Write if the point of concurrency is <u>inside</u>, <u>outside</u>, or <u>on the triangle</u>.

	Acute Δ	Obtuse Δ	Right Δ
Circumcenter	inside	Outside	00
Incenter	ioside	inside	inside
Centroid	incido	inside	incide
Orthocenter	inside	03-50	oo.

4 +1

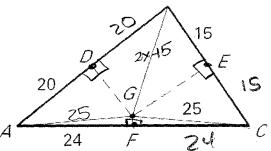
In the diagram, the perpendicular bisectors (shown with dashed segments) of $\triangle ABC$ meet at point G--the <u>circumcenter</u>. and are shown dashed. Find the indicated measure.

12. BD =
$$20$$

13.
$$CF = 24$$
 14. $AB = 40$

15.
$$CE = 16$$
. $AC = 48$

16.
$$AC = 48$$



17. m∠ADG = ________

18. IF BG =
$$(2x - 15)$$
, find x.

$$2x-15=25$$
 $2x=40$
 $x=20$

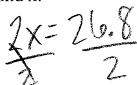
$$x = \underline{20}$$

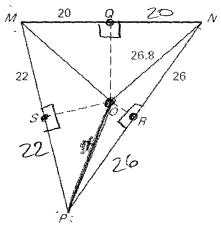
In the diagram, the perpendicular bisectors (shown with dashed segments) of $\triangle MNP$ meet at point O—the circumcenter. Find the indicated measure.

20.
$$PR = 26$$

23.
$$m \angle MQO = QO$$

24. If
$$OP = 2x$$
, find x.





Point T is the *incenter* of ΔPQR .

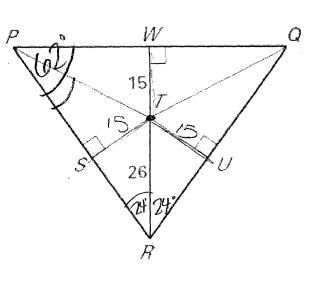
(equi from sides)

25. If Point T is the *incenter*, then Point T is the point of concurrency of



27. If
$$TU = (2x - 1)$$
, find x.

$$2x - 1 = 15$$
 $2x = 16$



X =

28. If
$$m\angle PRT = 24^\circ$$
, then $m\angle QRT = 24^\circ$

29. If
$$m\angle RPQ = 62^{\circ}$$
, then $m\angle RPT = 31$

Point G is the <u>centroid</u> of \triangle ABC, AD = 8, AG = 10, BE = 10, AC = 16 and CD = 18. Find the length of each segment.

(30) If Point G is the *centroid*, then Point & G is the point of concurrency of

the Medians.

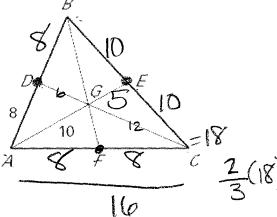
32. EA =
$$\sqrt{5}$$

33.
$$CG = 12$$

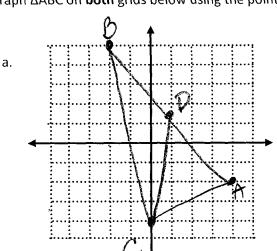
35.
$$GE = 5$$

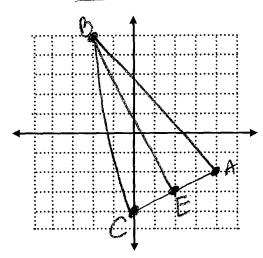
37. BC =
$$\frac{20}{}$$

38.
$$AF =$$



 \mathfrak{A} . Graph \triangle ABC on **both** grids below using the points A(4, -2), B(-2, 5), and C(0, -4).





40. Using the graph in 39a, find the midpoint of AB. (Hint: Midpoint Formula is on your chapter 1 theorems.) Label this point D on graph 39a. Connect point D to C. What special segment is CD?

midpoint of $\overline{AB} = (1, \frac{3}{2})$

CD is a Modian

41. Using the graph in 37b, find the midpoint of CA. Label this point E on graph 39b. Connect point E to point B. Now, find the slope of \overline{BE} and \overline{AC} . What kinds of lines are \overline{BE} and \overline{AC} ? Name the three special segments that \overline{BE} could be.

d be. $5+73 = \frac{1}{12}$ midpoint of $\overline{CA} = (2, 3)^{\frac{1}{2}}$ slope of $\overline{BE} = 2$ slope of $\overline{AC} = 2$ M(AC)= 4

 $\overline{\textit{BE}}$ and $\overline{\textit{AC}}$ are _

BE could be an altitude

d(AB)= \(\(\frac{14+7}{2} \) = \((-2-5)^2 \)

Find the orthocenter of $\triangle ABC$.

42.
$$A(2,0), B(2,4), C(5,0)$$

